

MORNING
02 JAN 2023

[Total No. of Questions: 09]

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Uni. Roll No.

Program: B.Tech. (Batch 2018 onward)

Semester: 3

Name of Subject: Network Analysis and Synthesis

Subject Code: PCEC-102

Paper ID: 16032

Scientific calculator is Allowed

Time Allowed: 03 Hours

Max. Marks: 60

NOTE:

- 1) Parts A and B are compulsory
- 2) Part-C has Two Questions Q8 and Q9 Both are compulsory, but with internal choice
- 3) Any missing data may be assumed appropriately

Part – A

[Marks: 02 each]

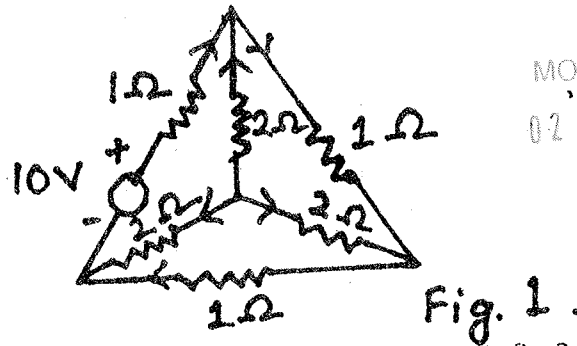
1

- a) Define Isomorphism. Also mention the relation between twigs and links in a graph.
- b) List the various applications of filters.
- c) Mention the necessary conditions for transfer functions.
- d) What is meant by network synthesis?
- e) A voltage of 100 V d.c. is applied across two capacitors in series having capacitances 100 μ F and 25 μ F. Find the voltage drop across each capacitor.
- f) Check whether the following polynomial: $s^5 + s^3 + s$, is Hurwitz or not?

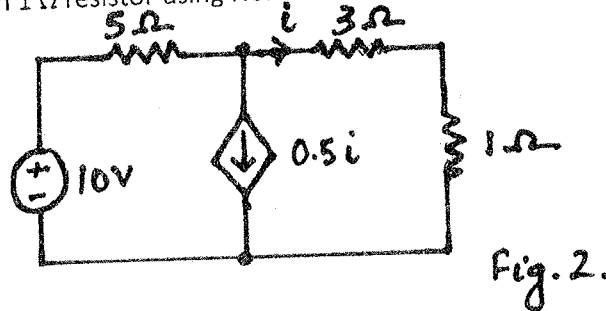
Part – B

[Marks: 04 each]

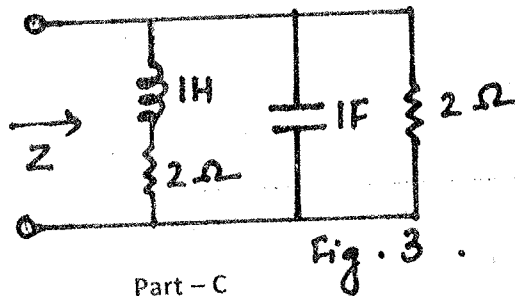
- 2 State and explain Maximum Power Transfer Theorem
- 3 How are active filters more advantageous compared to passive filters? Also mention the important considerations in the design of a prototype LPF section.
- 4 State and explain Convolution theorem.
- 5 With reference to fig. 1, draw the graph and write down the tie-set matrix.



6 Find the current in $1\ \Omega$ resistor using Norton's theorem in fig. 2



7 Find the driving point impedance for the network shown in fig. 3



Part - C

[Marks: 12 each]

8 Describe transient response of series RL and RC circuit with d.c. excitation.

OR

Describe Mesh analysis with the help of a suitable example

9 Design a T and π section constant-K high pass filter having cut-off frequency of 12 kHz and nominal impedance $R_0 = 500\ \Omega$. Also find: (i) its characteristic impedance and phase constant at 24 kHz and (ii) attenuation at 4 kHz.

OR

An impedance function at the input of a network is represented by

$$Z(s) = \frac{s^2 + 5s + 4}{s^2 + 2s}$$

Express it in both the foster forms.
